

**Simple Random Sampling (SRS): Starbucks here we come!**

A statistics class has 36 members. Obtain a SRS of 8 class members who will be invited to Starbucks for a free beverage of their choice. Select the sample from the following class members.

- |             |              |              |             |          |             |
|-------------|--------------|--------------|-------------|----------|-------------|
| Alex        | Dana         | Tatiana      | Ashley D.   | Edosa    | Victoria F. |
| Matt        | Caitlin      | Hannah       | Kayla       | Elyise   | Danielle H1 |
| Danielle H2 | Jenna        | Chris        | Jason       | Sabrinna | Nathaniel   |
| Tiffini     | Kyle         | Stephanie N. | Alicia      | Adam     | Teddi-Jo    |
| Corey       | Stephanie S. | Ashley S.    | Victoria S. | Deanna   | Molly       |
| Stefan      | Mike         | Keri         | Karin       | Jenna    | Mary        |

Answers (sample) vary depending on method used (table of random numbers; computer)

- Assign number to each person (if using table of random numbers) - here 36 people, so each person needs a two-digit number (01 to 36).
- Using Table of Random Numbers
- Randomly select starting point and direction (up/down, L/R; etc.); if come across same number - skip it.

\* Probability occurs when you select the starting point (randomly) in table of random numbers.

**Stratified Sampling: Accounting Practices**

Accountants often use stratified random sampling during audits to verify a company's records of such things as accounts receivable. One company reports 5000 accounts receivable of which 200 are in accounts over \$100,000, 1000 accounts are between \$10,000 and \$100,000 and 3800 accounts are under \$10,000. The auditor decides to review 200 accounts using a stratified sample with proportional allocation. Determine the number of accounts that will be audited within each stratum.

<p><i>Population Table</i> N = 5000</p> <table border="1" style="margin-left: auto; margin-right: auto;"> <thead> <tr> <th>size</th> <th>f</th> <th>rf</th> </tr> </thead> <tbody> <tr> <td>&gt;\$100k</td> <td>200</td> <td>.04</td> </tr> <tr> <td>\$10k-\$100k</td> <td>1000</td> <td>.20</td> </tr> <tr> <td>&lt;\$10k</td> <td>3800</td> <td>.76</td> </tr> <tr> <td><b>Total:</b></td> <td><b>5000</b></td> <td><b>1.00</b></td> </tr> </tbody> </table>	size	f	rf	>\$100k	200	.04	\$10k-\$100k	1000	.20	<\$10k	3800	.76	<b>Total:</b>	<b>5000</b>	<b>1.00</b>	<p><i>Sample Table</i> n = 200</p> <table border="1" style="margin-left: auto; margin-right: auto;"> <thead> <tr> <th>size</th> <th>f</th> <th>rf</th> </tr> </thead> <tbody> <tr> <td>&gt;\$100k</td> <td>8</td> <td>.04</td> </tr> <tr> <td>\$10k-\$100k</td> <td>40</td> <td>.20</td> </tr> <tr> <td>&lt;\$10k</td> <td>152</td> <td>.76</td> </tr> <tr> <td><b>Total</b></td> <td><b>200</b></td> <td><b>1.00</b></td> </tr> </tbody> </table>	size	f	rf	>\$100k	8	.04	\$10k-\$100k	40	.20	<\$10k	152	.76	<b>Total</b>	<b>200</b>	<b>1.00</b>	<p><i>calculate f given specified rf</i></p> <ul style="list-style-type: none"> <li>- round partial values</li> <li>- be sure you meet sample size</li> <li>- if freq. sums to &gt; required sample, reduce from largest class.</li> </ul>
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*calculating rf; put in →*  
*take pop. rf and multi. times sample size*  
 $rf: .76 \times 200 = 152 \rightarrow$

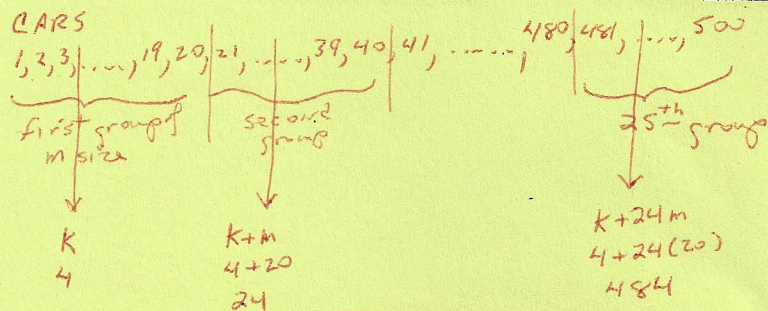
\* Probability occurs when you randomly select units from each stratum (e.g. randomly 8 of 200 >\$100k accts.)

**Systematic Sampling: Coopers**

MINI builds Coopers in its Oxford England plant. Five-hundred Coopers are made per day. The management wants to select 25 Coopers daily to go through a quality control inspection consisting of 144 items. Demonstrate how you would use systematic sampling to identify the 25 Coopers.



*Given*  
 N = 500 cars (population)  
 n = 25 cars (sample)  
 $\frac{N}{n} = \frac{500}{25} = 20 = m = \text{size of groups}$   
 K = random seed taken from the 1 to m group (first group)  
 - could obtain from a table of random numbers  
 - HERE ASSUME K = 4



\* Probability occurs when you randomly select K.



## Cluster Sampling: Airline Satisfaction

As part of an advertising campaign Alaska Air has hired you to assess the level of customer satisfaction with its new in-flight services from Seattle to Anchorage. You elect to conduct a survey of 1,540 passengers and plan to collect data for each day of the week. The company indicates that there are 10 flights per day into Anchorage, each with an average 110 passengers. Use a cluster sampling approach to obtain the sample. Why might you select this approach?

Given  
 $10 \text{ flights/day} = 70 \text{ flights/week}$  ← These are the clusters (here groups of 110 passengers)

$n = 1540$  passengers  
 $N = 7700$  passengers ( $70 \text{ flights} \times 110 \text{ per flight}$ )  
 $f = 110$  passengers/flight

$\frac{n}{f} = \frac{1540}{110} = 14 \text{ flights}$  ← Clusters needed (take 2 of 10 flights/day)

\* Probability occurs when you randomly select 14 of 70 clusters. (here randomly taking 2 of 10 daily flights)

## Obtaining a Probability-based Random Sample

Suppose there are 300 students using this statistics text this semester at SUNY Oneonta. The text's publisher has commissioned you to survey 90 of these students. There are 10 course sections each with 30 students and the year level breakdown of course participants is: Fr. = 155, So. = 75, Jr. = 30, Sr. = 30, Other = 10. Describe procedures for obtaining each of the samples below.

Random: Sampling frame: List of 300 students  
 Randomly select 90 students

Systematic: Demonstrate how you would obtain this sample by identifying the first 4 individuals in this sample.

Given  
 $N = 300$  students  
 $n = 90$   
 $m = \frac{N}{n} = \frac{300}{90} = 3.33$  ← ALWAYS ROUND DOWN  
 $k = \text{random from } 1 \text{ to } m$  [here 1 to 3]

why?  $\frac{300}{3} = 100 = \text{max. } n \text{ in a sample}$   
 $\frac{300}{4} = 75 = \text{max. } n \text{ in a sample, which does not meet required sample size}$

## Convenience:

- ask friends
- ask class members
- any approach that does not give all members (units) in the population (here 300) an equal chance of being selected.

Stratified: Determine the number of individuals for the strata.

Pop.:	stat students			Sample:	stat students	
class	F	$\frac{f}{N}$	$r \times n$	class	F	$\frac{f}{n}$
FR	155	.517	→	FR (46.5)	47	.517
SO	75	.250		SO (22.5)	23	.250
JR	30	.100		JR (9)	9	.100
SR	30	.100		SR (9)	9	.100
OTH	10	.033		OTH (2.97)	3	.033
Total	300	1.00		Total	90 (91)	1.00

Rounding yields  $n=91$ . Reduce by taking away from largest class (here FR)

## Cluster:

Given  
 10 classes  
 30 students/class  
 $n = 90$   
 $\frac{n}{f} = \frac{90}{30} = 3$  classes randomly selected from 10 classes