

# Sections 13.1 – 13.2

## Types of Solids

### Metallic Solids

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SUNY Oneonta

# Types of Solids and Metallic Solids

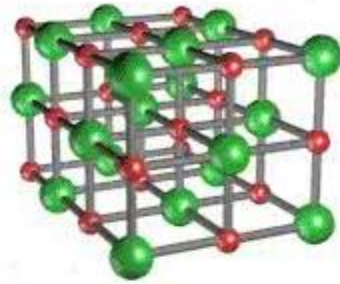
In these sections...

- a. Types of Solids
- b. Unit Cells
- c. Cubic Unit Cells
- d. X-Ray Diffraction

*Types of Solids:*

- Ionic
- Molecular
- Network:
  - crystalline
  - amorphous
- Metallic

Ionic Solid



NaCl

Molecular Solids: mp = 0 °C

H<sub>2</sub>O



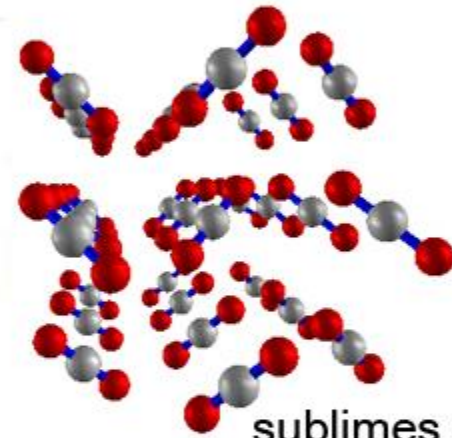
Extended (network) solids:  
Crystalline and Amorphous



$\alpha$ -quartz (SiO<sub>2</sub>), a crystalline solid

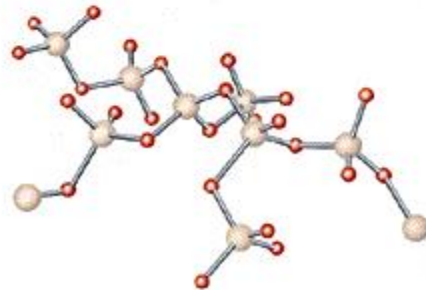


Quartz



CO<sub>2</sub>

sublimes at -78 °C

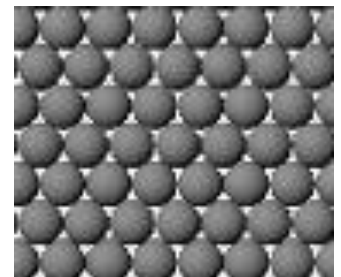


Vitreous silica (SiO<sub>2</sub>), an amorphous solid

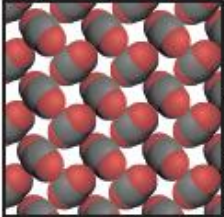
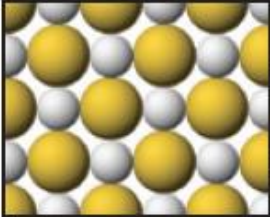
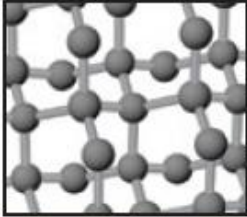
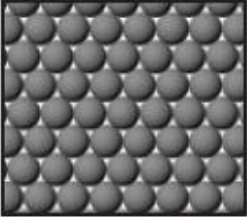


Obsidian

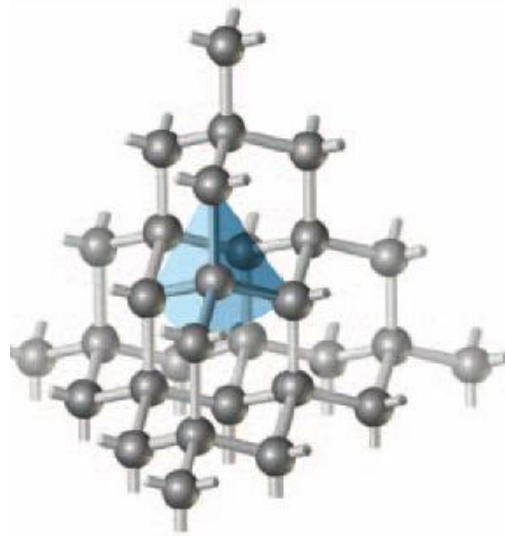
Metallic  
Close-packed



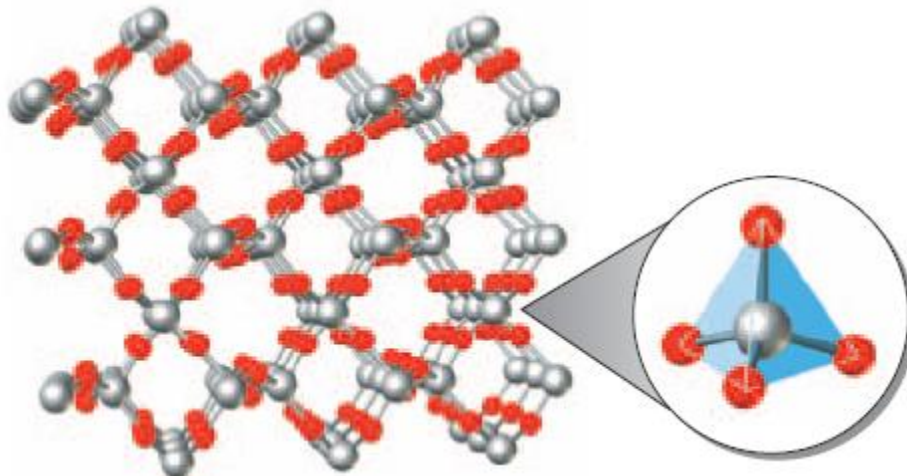
**Table 12.1.1** Crystalline Solids

	<b>Molecular</b>	<b>Ionic</b>	<b>Covalent</b>	<b>Metallic</b>
<b>Constituent particles</b>	Molecules	Ions	Covalent network	Metal atoms
<b>Melting point</b>	Moderate to low	High to very high	Very high	Variable
<b>Hardness</b>	Soft to brittle	Hard and brittle	Very hard	Variable, malleable
<b>Conductivity</b>	Nonconducting	Nonconducting solid, conducting liquid	Usually nonconducting	Conducting
<b>Attractive forces</b>	Dipole–dipole, hydrogen bonds, London dispersion forces	Ion–ion	Covalent bonds	Metallic bonds
<b>Schematic diagram</b>	 <p>© 2013 Cengage Learning</p>	 <p>© 2013 Cengage Learning</p>	 <p>© 2013 Cengage Learning</p>	 <p>© 2013 Cengage Learning</p>
<b>Examples</b>	Carbon dioxide ( $\text{CO}_2$ ), m.p. $-78\text{ }^\circ\text{C}$ (sublimes) Sucrose ( $\text{C}_{12}\text{H}_{22}\text{O}_{11}$ ), m.p. $186\text{ }^\circ\text{C}$ (decomposes) Water ( $\text{H}_2\text{O}$ ), m.p. $100\text{ }^\circ\text{C}$	NaCl, m.p. $801\text{ }^\circ\text{C}$ $\text{K}_2\text{SO}_4$ , m.p. $1689\text{ }^\circ\text{C}$ $\text{MgO}$ , m.p. $2852\text{ }^\circ\text{C}$	Diamond (C), m.p. $3550\text{ }^\circ\text{C}$ $\text{SiO}_2$ , m.p. $1650\text{ }^\circ\text{C}$	Na, m.p. $98\text{ }^\circ\text{C}$ W, m.p. $3422\text{ }^\circ\text{C}$

## More Network Solids



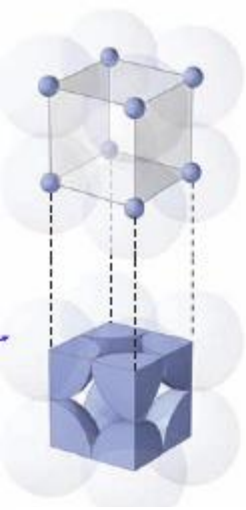
diamond



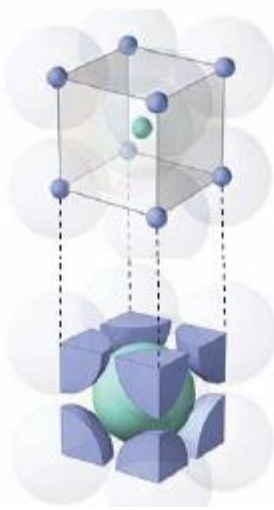
Quartz:  $\text{SiO}_2$

# Unit Cell Types:

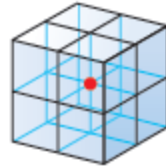
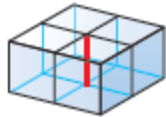
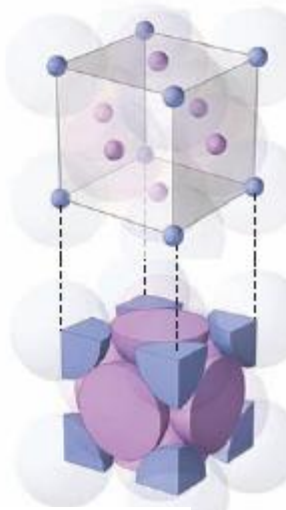
Primitive cubic



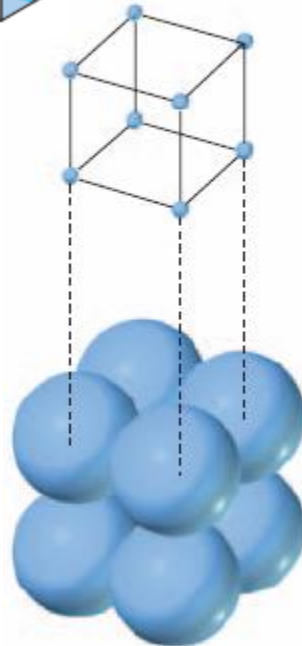
Body-centered cubic



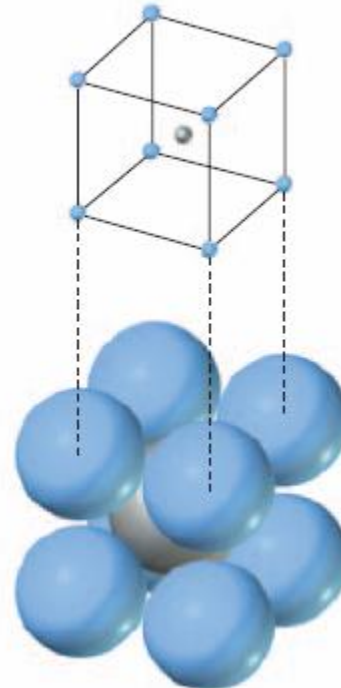
Face-centered cubic



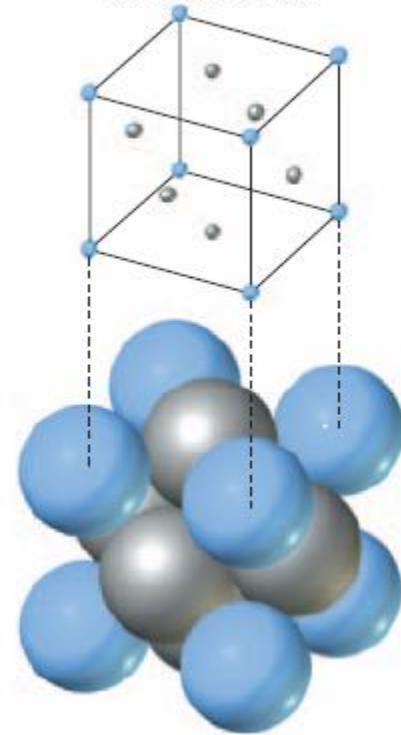
Simple cubic

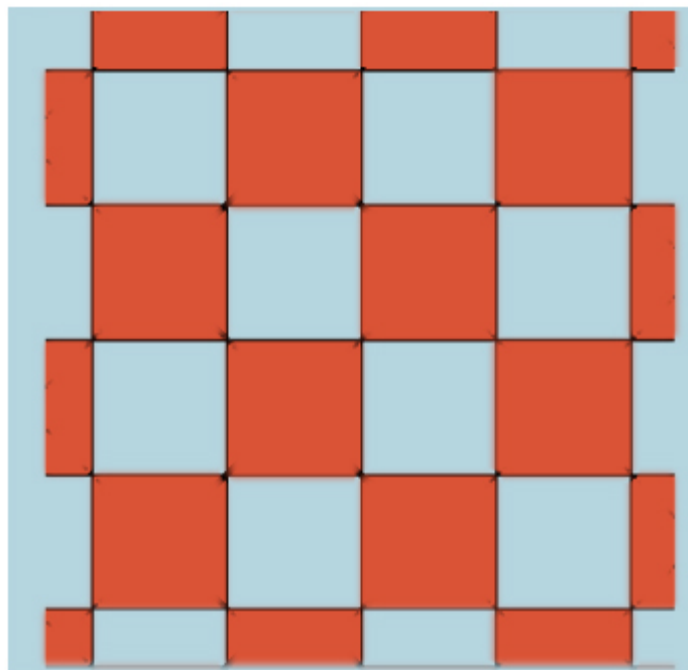
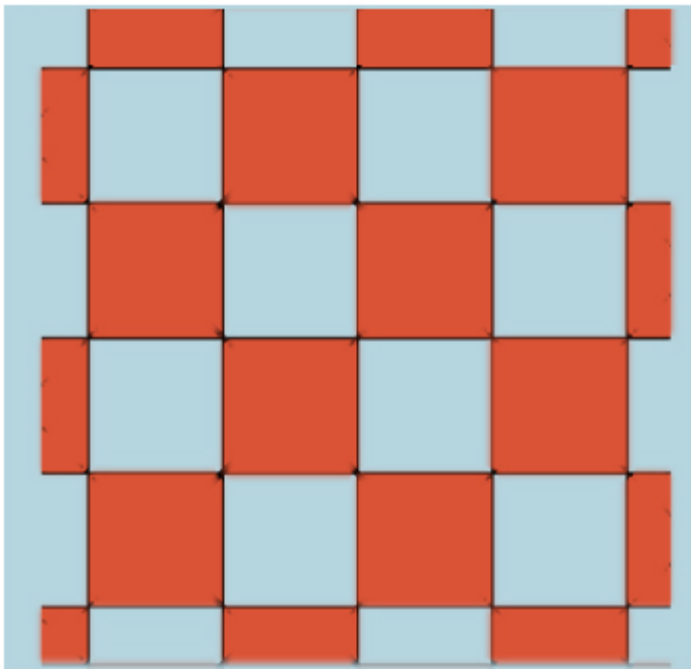


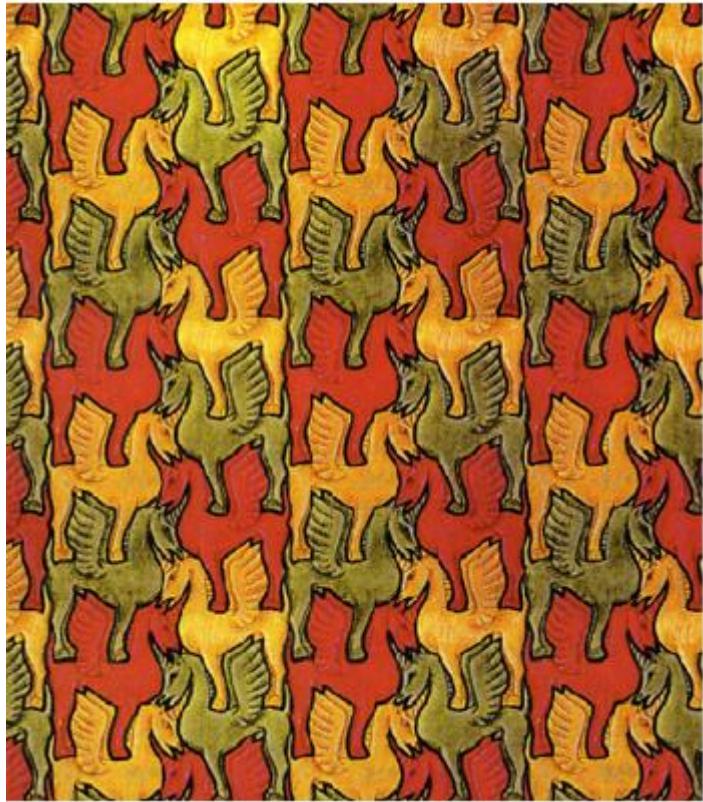
Body-centered cubic



Face-centered cubic

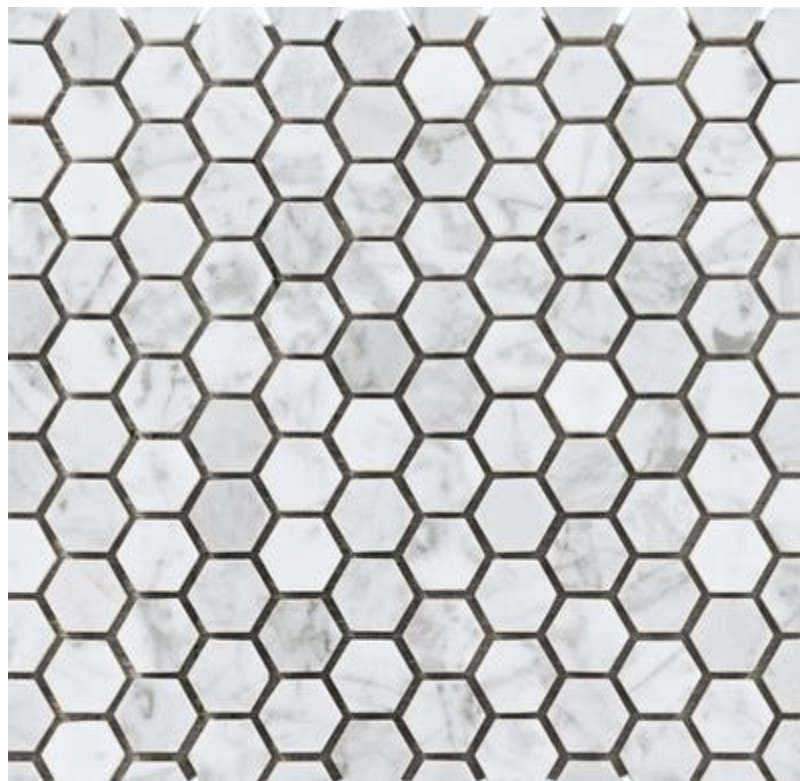






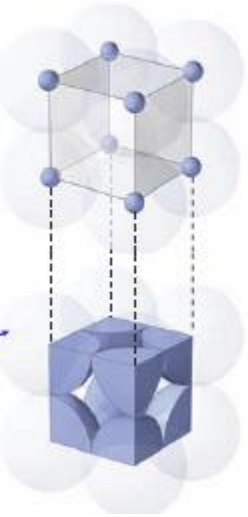


Find a unit cell:

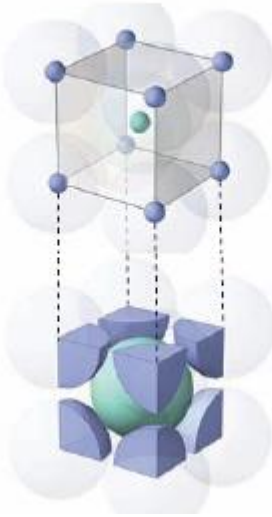


## Unit Cell Types:

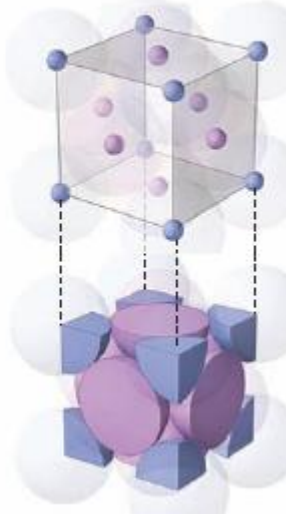
Primitive cubic



Body-centered cubic



Face-centered cubic



## Counting Atoms in Unit Cells:

Inside: 1

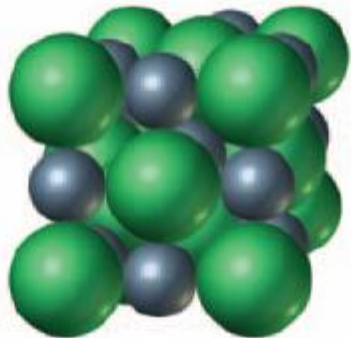
Face:  $\frac{1}{2}$

Edge:  $\frac{1}{4}$

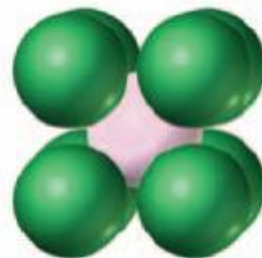
Corner:  $\frac{1}{8}$



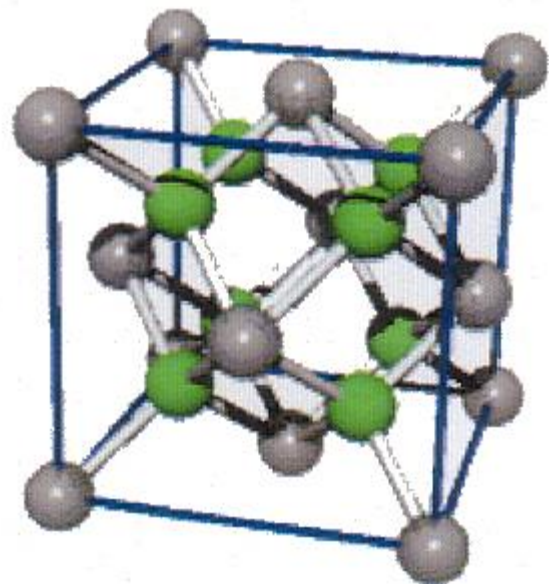
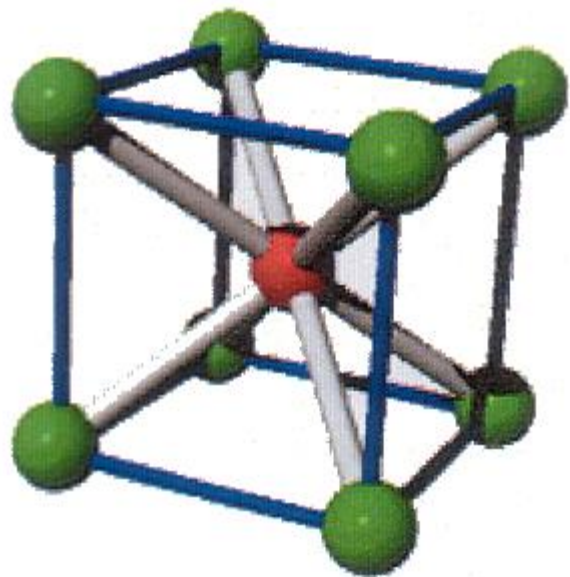
LiCl

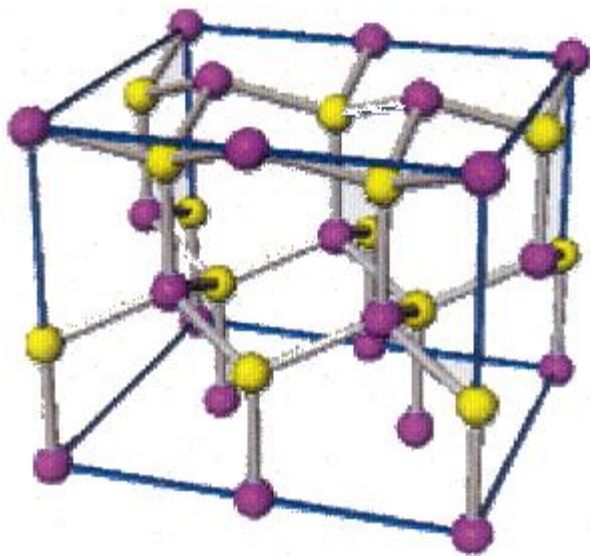
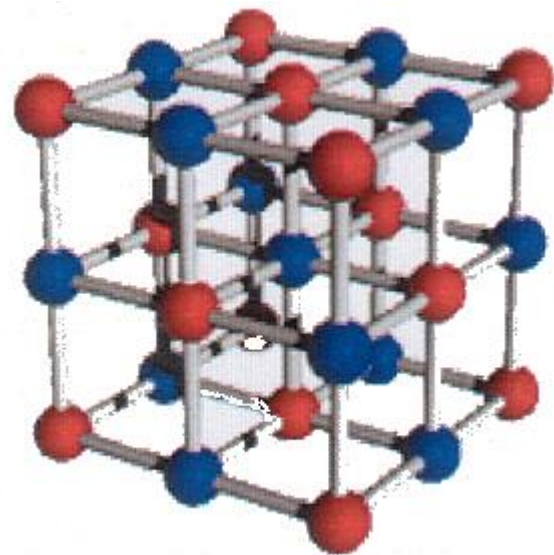
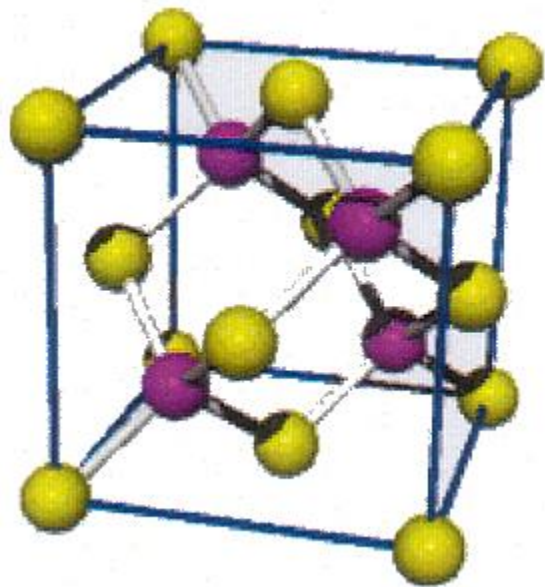


NaCl



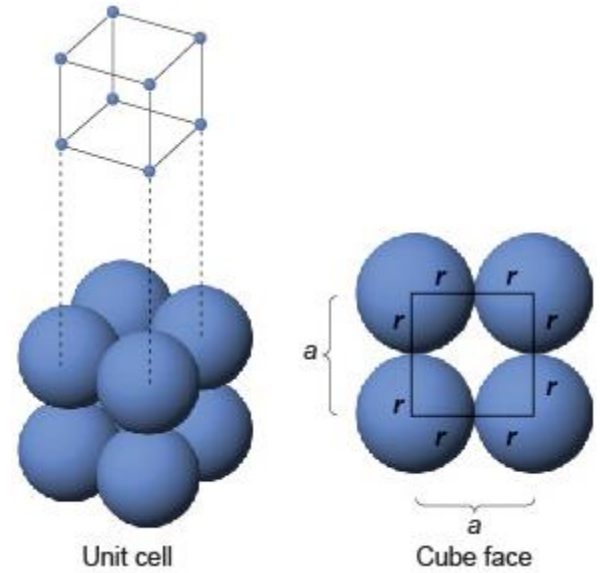
CsCl





## Unit Cells, Dimensions and Measurements:

What percentage of a simple cubic unit cell is filled with atoms?



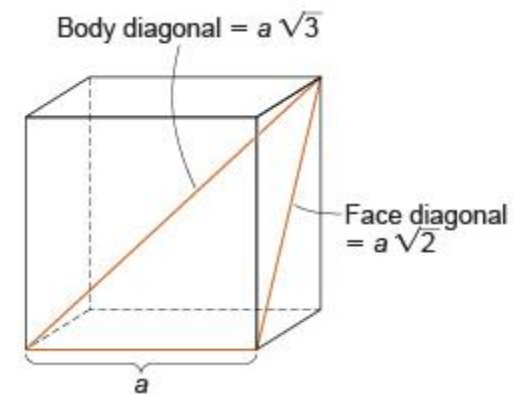
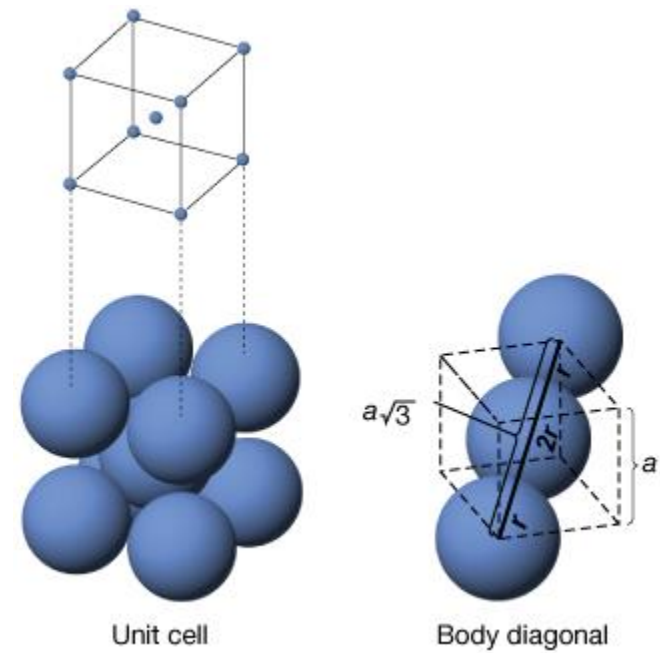
## Unit Cells, Dimensions and Measurements:

U metal:

Body centered cubic unit cell

Unit cell edge = 343 pm

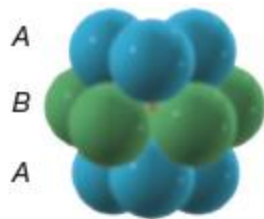
What is the radius of a U atom?



# Face Centered Cubic Unit Cell = Cubic Closest Packed Structure

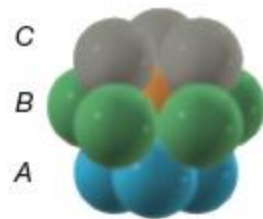


(a)



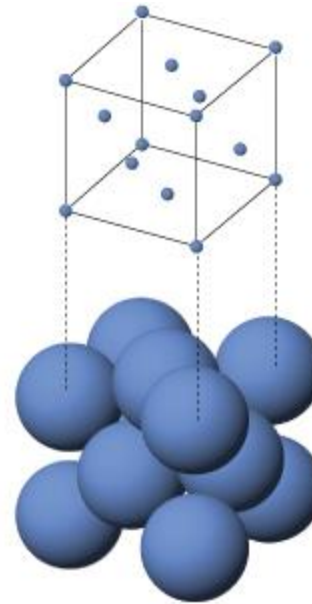
(b)

Hexagonal  
close-packed  
crystal structure

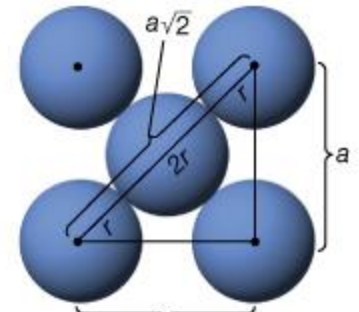


(c)

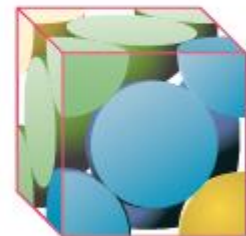
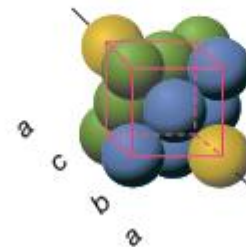
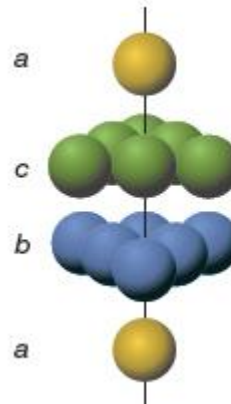
Cubic  
close-packed  
(face-centered)  
crystal structure



Unit cell



Cube face



Unit cell

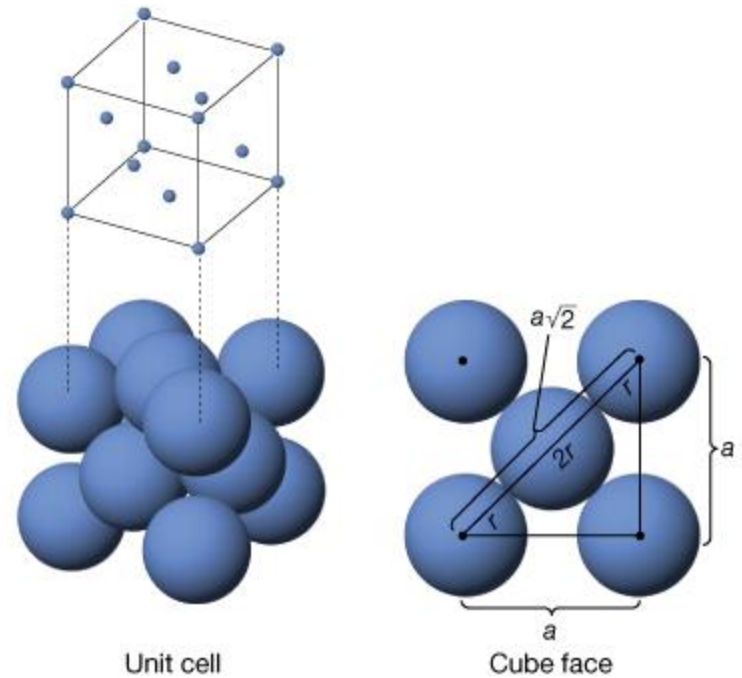
## Unit Cells, Dimensions and Measurements:

Ca metal:

Face centered cubic unit cell

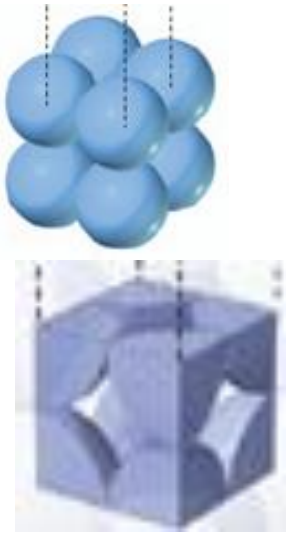
Density =  $1.54 \text{ g/cm}^3$

What is the radius of a Ca atom?

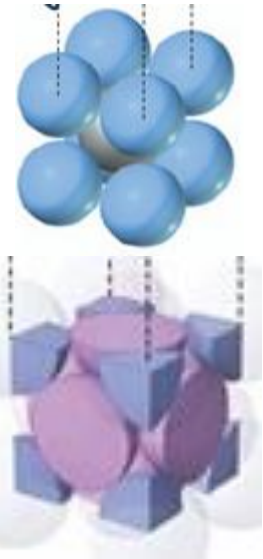




What fraction of a simple cubic unit cell is filled with atoms?



What fraction of a face-centered cubic unit cell is filled with atoms?



**Table 12.2.1: Summary of Cubic Unit Cells**

Lattice	Atoms per Unit Cell	Edge Length–Atomic		
		Radius Relationship	Coordination Number	% Occupied Space
Simple cubic	1	$a = 2r$	6	52.4
Body-centered cubic	2	$a = \frac{4r}{\sqrt{3}}$	8	68.0
Face-centered cubic	4	$a = \frac{4r}{\sqrt{2}}$	12	74.0

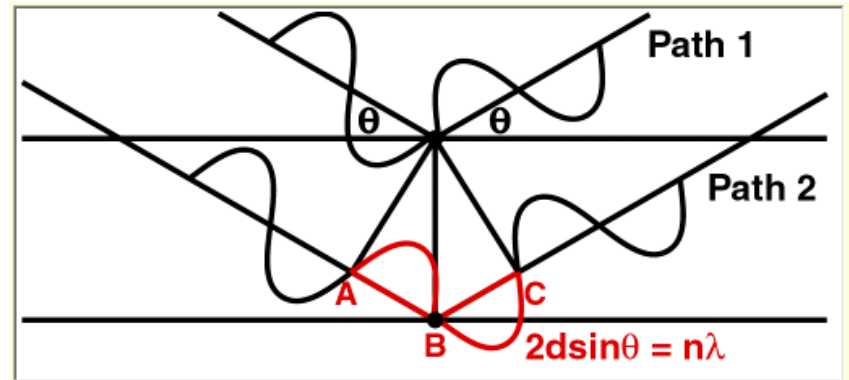
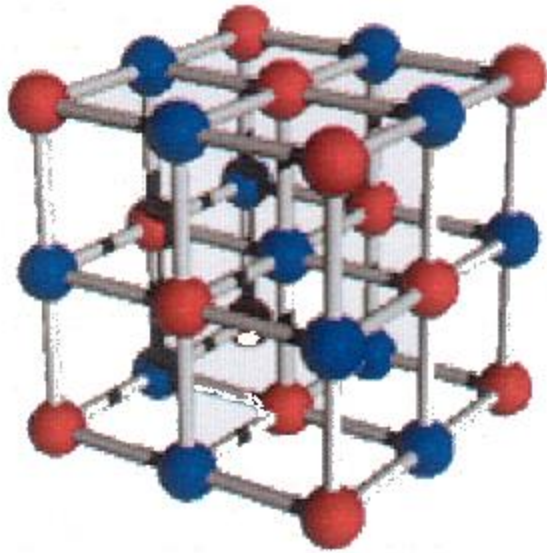
# X-Ray Diffraction: Determining the distance between planes of atoms

X-rays and atoms

Orders of diffraction

Bragg's Law

$$2d\sin\theta = n\lambda$$



# Using X-Ray Diffraction: Bragg's Law

Silver metal crystallizes in an FCC lattice. Monochromatic x-radiation from a copper target has a wavelength of 154 pm. If this radiation is used in a diffraction experiment with a silver crystal, a second-order diffracted beam is observed at a theta value of  $22.18^\circ$ . If the spacing between these planes corresponds to the unit cell length ( $d = a$ ), what is the  $d$ -spacing between the planes that gave rise to this reflection? What is the metallic radius of a silver atom?

$$2d\sin\theta = n\lambda$$

